Convolutional Neural Networks (CNNs): Basic Structure

Laura E. Boucheron

College of Engineering

Klipsch School of Electrical and Computer Engineering



A Visualization of our MNIST network

• The Sequential model allows you to stack layers in a linear fashion





Types of Layers



- Learn some $M_{conv} K \times K \times C$ filters (and M_{conv} biases)
 - M_{conv} is the total number of filters in the current layer
 - *K* is the kernel size
 - *C* is the number of channels over which the filter operates
- Input is some $N_i \times N_i \times C$ tensor (think multidimensional image)
 - N_i is the spatial dimension
 - *C* is the number of channels
- Output are some $M_{conv} N_o \times N_o$ filtered images, also commonly called "feature $_k$ maps" or "activations"
 - N_o is the spatial dimension
 - Commonly, $N_o = N_i (K 1)$ since the filtered output at the boundaries of the image is less reliable than at the center









• Hierarchical representation of image content



First layer often converges to filters that highlight oriented edges



 Second layer can combine oriented edges and represent more complex structures such as corners, circles, or other shapes



 Third layer can combine those shapes and learn to represent even more abstract structures



Figures from: Zeiler, M. D., & Fergus, R. (2014, September). Visualizing and understanding convolutional networks. In *European conference on computer vision* (pp. 818-833).

Pooling Layers (MaxPooling2D)

- Reduce the spatial resolution via subsampling, usually after a convolutional layer
 - Pool size P
- Input is some $N_i \times N_i \times C$ image
 - N_i is the spatial dimension of the input
 - *C* is the number of channels
- Output are some $C \frac{N_i}{P} \times \frac{N_i}{P}$ subsampled activations



Pooling Layers (MaxPooling2D)



Pooling Layers (MaxPooling2D)

- Reduce the spatial resolution via subsampling
 - Reduces the computational complexity (fewer pixels to filter)
 - Contributes to the scale invariance and hierarchical nature of the network
- Multiple forms of pooling
 - **Max pooling** (common): take maximum value within $P \times P$ pooling window
 - Average pooling: take average value within $P \times P$ pooling window
 - Others





Fully Connected (Dense)

- Learn some M_{FC} nodes $(M_{FC} \cdot N_1 \cdot N_2 \cdot N_3$ weights and M_{FC} biases) associated with a standard fully connected 1D neural network
 - M_{FC} is the number of nodes in the current fully connected layer
 - N_1 , N_2 , and N_3 are the dimensions of the input
- Input is some $1 \times N_1 \cdot N_2 \cdot N_3$ tensor of activations from the previous layer
 - The Flatten function "flattens" the $N_1\times N_2\times N_3$ tensor output from the previous layer to a $1\times N_1\cdot N_2\cdot N_3$ tensor
- Output are some M_{FC} activations



Fully Connected

• M_{FC} number of nodes in the current fully connected layer 128

FC1

12, 12, 32

• N_1, N_2, N_3 dimensions of the input



Convolution

Convolution Max-Pool

Dense



Fully Connected

• M_{FC} number of nodes in the current fully connected layer 10

FC1

1, 128, 1

• N_1, N_2, N_3 dimensions of the input





Activations



Activations

- Included as the activation option in the Convolution2D and Dense layers
- Common activation for convolutional layers is the rectified linear unit (ReLU), activation='relu'
 - Clips negative values to 0
 - Identity for positive values



- Common activation for output of classifier network is the softmax, activation='softmax'
 - Normalizes the input to probabilities of class membership



Training Parameters



Loss Functions

- The loss function is THE metric that the NETWORK USES to train
- The loss function should somehow compare the current predicted labels to the ground truth labels
 - Should have good computational characteristics (e.g., doesn't overflow)

Ground truth

• A common loss function is the cross entropy loss='categorical crossentropy'





Optimizers

- Optimizers control adaptation of the parameters
 - Given the error, you know which direction to adapt the learned weights in backpropagation

Ground truth

- How exactly you adapt those weights and how "fast" you adapt them is the job of the optimizer
- The "Adam" optimizer is pretty good generalpurpose optimizer, optimizer='adam'





Metrics

- Metrics are the metrics WE are interested in
- Generally are some form of accuracy metrics=['accuracy']
- Can also be any of the loss functions



Ground truth

Batches and Epochs

- We need to specify how long we are willing to wait for our network to train
- We don't expect to reach a loss of 0 (implying an accuracy of 100%)
- May other simulations invoke the notion of an "iteration"
- We cannot necessarily operate on our entire training set at once (due to memory constraints)
 - Batch: break up the training data into smaller, more manageable chunks (this is where the "stochastic" in stochastic gradient descent comes in), we specify the size of the batches with the batch_size parameter
 - Epoch: however many batches are needed to visit every training sample once, i.e., an epoch processes $\left|\frac{N_{samples}}{batch \ size}\right|$ batches
- We specify the maximum number of epochs with the epochs parameter



But wait... There's more!!!!



There's more!?!?!

- There are **many** other options available:
 - Other layer types
 - Other activation functions
 - Other loss functions
 - Other optimizers
 - Other options in all of the above
- Check out the keras documentation at <u>https://keras.io</u> for more details.

